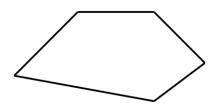
UNIT 7 – Quadrilaterals Notes	5	
	Name:	_ Per:

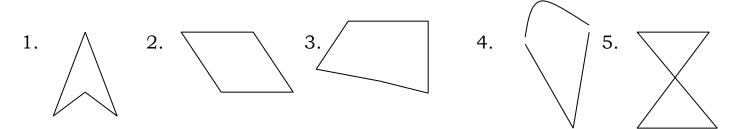
Polygons Basics----Day 1

Objectives: SWBAT identify, name and describe polygons. SWBAT use the sum of the measures of the interior angles of a quadrilateral.

The basics on POLYGONS



State whether the following figures are polygons are not.

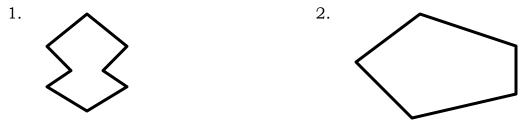


Naming Polygons

# of Sides	Type of polygon	
3	Triangle	
4	Quadrilateral	
5	Pentagon	
6	Hexagon	
7	Heptagon	
8	Octagon	
9	Nonagon	
10	Decagon	
11	Hendecagon	
12	Dodecagon	
Ν	n-gon	
Convex vs. Concave	C	
Convey -		/



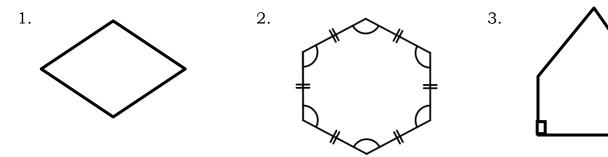
Examples: Identify the polygon and state whether it is convex or concave.



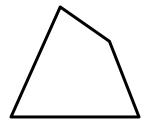
Regular Polygons

Examples:

Decide whether the polygon is regular, explain why or why not.

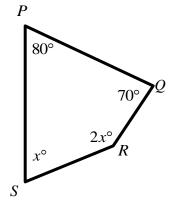


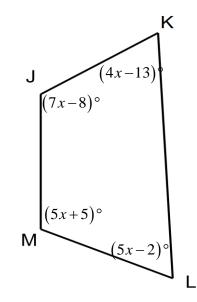
Interior Angles of Polygon Theorem



Quadrilaterals

Examples: Find the value of x





Trapezoids and Kites---Day 2

Objectives: SWBAT use properties of trapezoids and kites.

Trapezoids

Isosceles Trapezoid

Isosceles Trapezoid Angle Theorem

Converse of the Isosceles Trapezoid Angle Theorem

Isosceles Trapezoid Diagonals Theorem

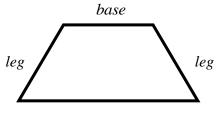
Examples:

PQRS is an isosceles trapezoid.

Find $m \angle P$:

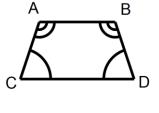
Find $m \angle Q$:

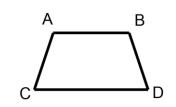
Find $m \angle R$:

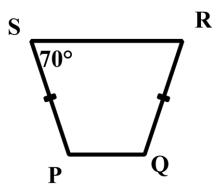








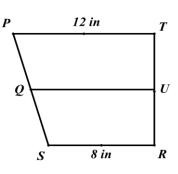




Midsegment of a Trapezoid

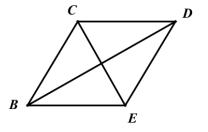
3. M and N are the midpoints on PS and QR, respectively.

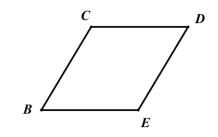
Find the length of the midsegment.

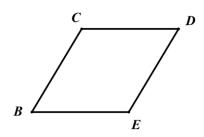


KITE

Kite's Perpendicular Diagonals Theorem

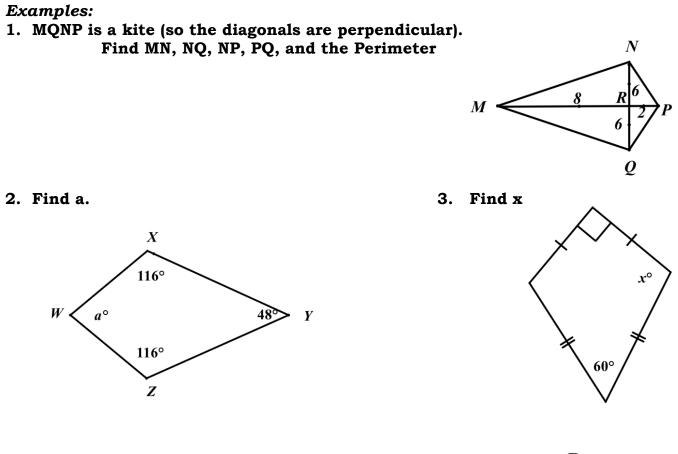




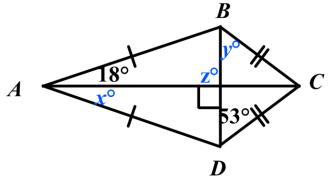


Sides of a Kite Theorem

Kite Opposite Angle Theorem



a. Find x , y, and z.



The diagonal \overline{RB} of kite *RHBW* forms an equilateral triangle with two of the sides, and m < BWR = 40. Draw and label a diagram showing the diagonals, and the measures of all the angles.

Properties of Parallelograms---Day 3

Objectives: SWBAT use properties of parallelograms in real-life situations.

Parallelogram~

Opposite Side Parallelogram Theorem

Opposite Angles Parallelogram Theorem

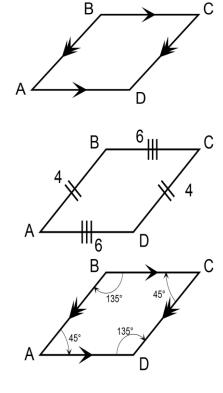
Consecutive Angles Parallelogram Theorem

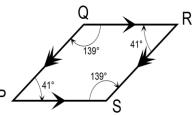
Diagonals of a Parallelogram Theorem

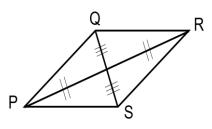
Examples:

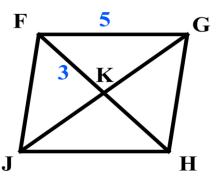
- 1. FGHJ is a parallelogram. Find the unknown lengths.
 - a. JH

b. FH

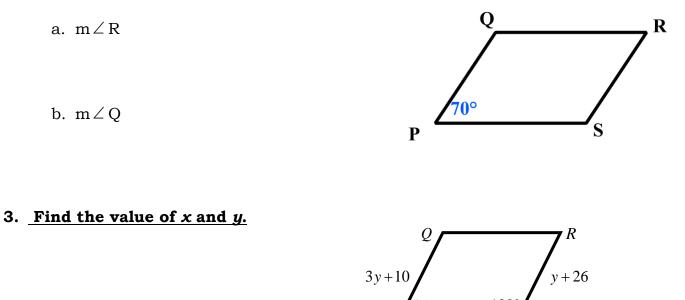




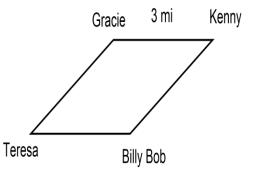




2. Find the angle measures.



4. Gracie, Kenny, Teresa, and Billy Bob live at the four corners of a block shaped like a parallelogram. Gracie lives 3 miles away from Kenny. How far apart do Teresa and Billy Bob live from each other?

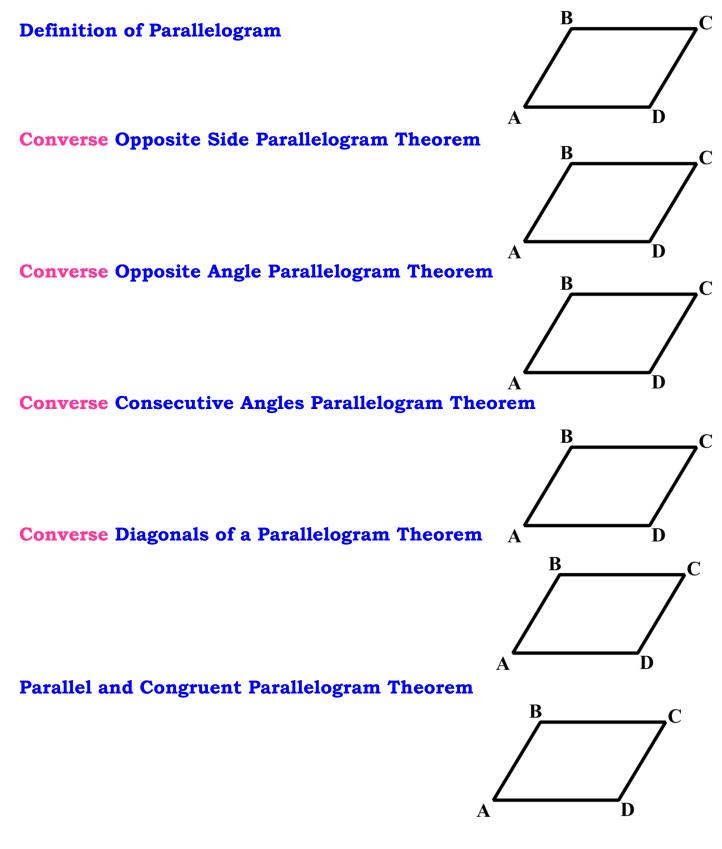


120°

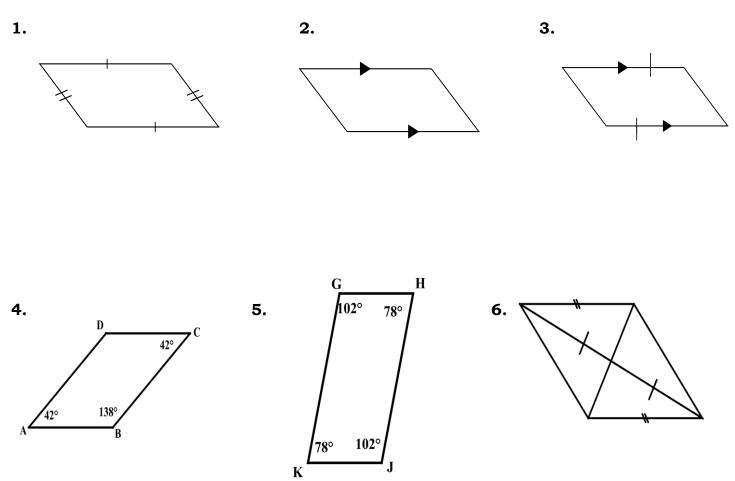
S

Proving Quadrilaterals are Parallelograms---Day 4

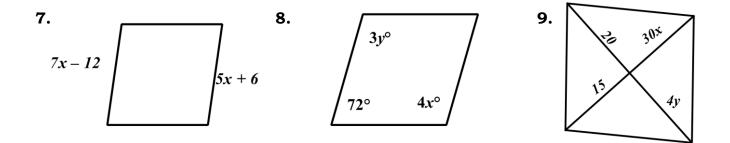
Objectives: SWBAT prove that a quadrilateral is a parallelogram.



Examples: Determine if the following quadrilaterals are parallelograms. If so why or why not?



Solve for the following variables so that the quadrilateral is a parallelogram.

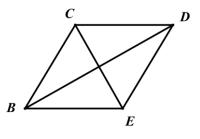


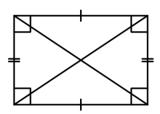
Rhombuses and Rectangles---Day 5

Objectives: SWBAT use properties of sides and angles of rhombuses and rectangles SWBAT use properties of diagonals of rhombuses and rectangles

Rhombus~

Rectangle~





True or false, if false explain why it is false.

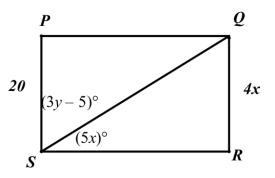
- **1.** A rectangle is a parallelogram.
- **2.** A parallelogram is always a rhombus.
- **3.** A rhombus is always a Rectangle.
- **4.** A rhombus is always a Kite.
- **5.** A rhombus is always a parallelogram.

Matching: Which of the following quadrilaterals has the given property?

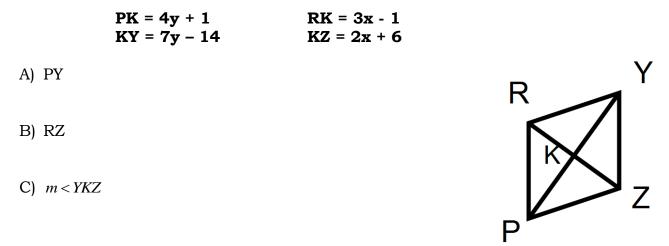
- **6.** All sides are congruent.
- **7.** All angles are congruent.
- **8.** The diagonals are congruent.
- **9.** Opposite angles are congruent.
- **10.** Sum of Interior angles equals 360 degrees.

- A. Parallelogram
- B. Rectangle
- C. Rhombus
- D. Quadrilateral

11. What is the value of *x* and *y* in the rectangle to the right?

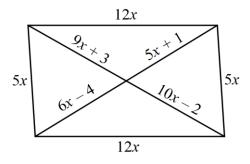


12. Use the rhombus PRYZ, to find the measurements of the following given that



D) YZ

13. Based on the figure below, which statements are true?



- I. The figure is a rectangle
- II. The figure is a parallelogram
- III. 6x 4 = 9x + 3
- IV. 9x + 3 = 10x 2
- V. x = 8
- VI. The longest side has a length of 60.

Objectives: SWBAT use properties of sides and angles of Squares SWBAT use properties of diagonals of Squares

A

B

С

L

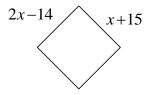
Square

Examples:

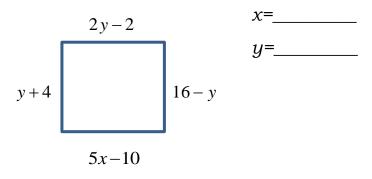
Identify each figure as a quadrilateral, parallelogram, rhombus, rectangle, trapezoid, kite, square or none of the above.

F G S A R E Η D U М N М 79° 79° 0 K L

1. Given that the figure to the right is a square, find the length of a side.

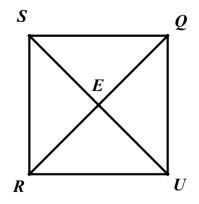


2. The quadrilateral at the below is a square. Solve for x and y.



3. Given Square SQUR, find the following.

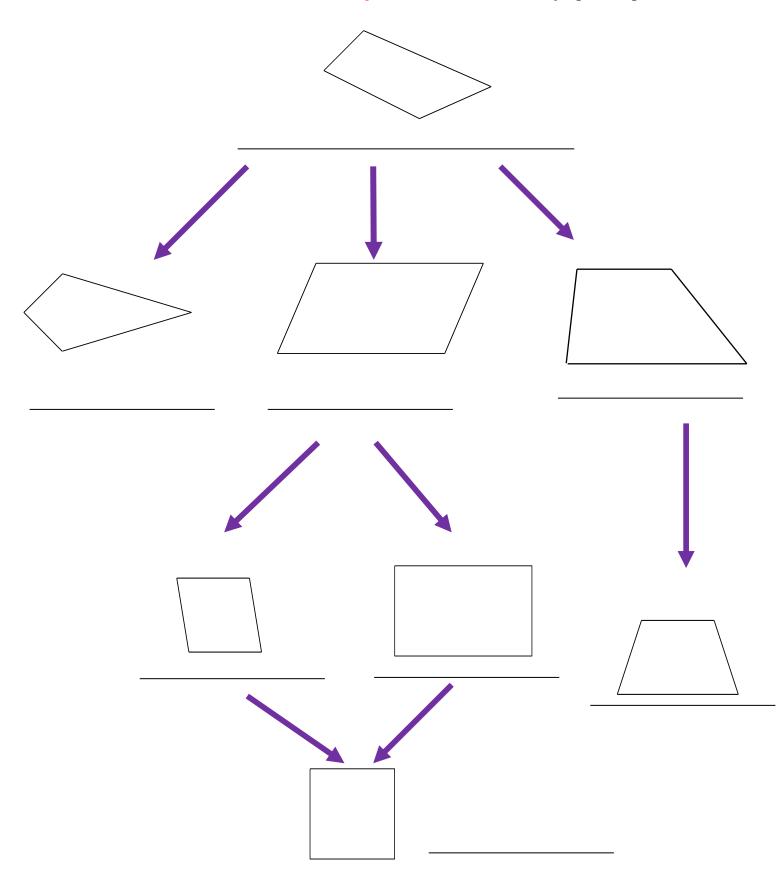
- $EQ = m \angle SEQ =$
- $EU = m \angle SQU =$
- $SU = m \angle UEQ =$
- $RU = m \angle SQE =$



RE = 16 *mm*.

Quadrilateral Family Tree---Day 7

Objectives: SWBAT identify special quadrilaterals.



Sha	ape	Description of Sides	Description of Angles	Interesting Information
Quad				
Trapezoid	Leg Base Leg			
Isosceles Trapezoid	Base Leg Base			
Kite	\bigcirc			
Parallelogram				
Rectangle				
Rhombus				
Square				

Property	Parallelogram	Rectangle	Rhombus	Square	Trapezoid
Both pairs of opp. sides					
Exactly 1 pair of opp. sides					
Diagonals are \perp					
Diagonals are ≅					
Diagonals bisect each other					

Fill in the table. Put an **X** in the box if the shape *always* has the property.

Quadrilateral ABCD has *at least* one pair of opposite sides congruent. Draw the kinds of quadrilaterals meet this condition (5).

COORDINATE QUADS---Day 8

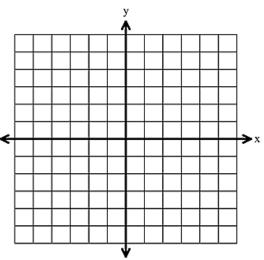
Objectives: SWBAT identify types of quads using a coordinate plane.

Characteristic	Definition	Formula
Congruent		
Perpendicular		
Paralle1		
Midsegment / Midpoint		

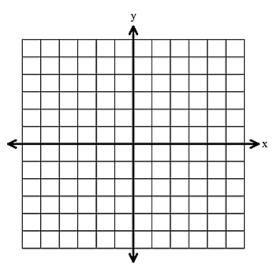
Coordinate Proof

1. Use the coordinate plane, and the *Distance Formula* to show that KLMN is a Rhombus.

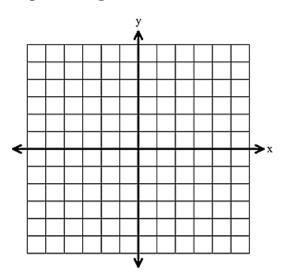
K(2, 5), L(-2, 3), M(2, 1), N(6, 3)



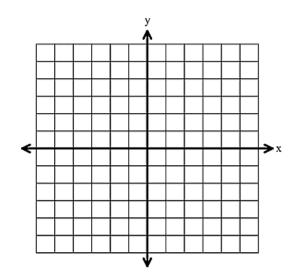
- 2. Use slope or the distance formula to determine the most precise name for the figure A(-1, -4), B(1, -1), C(4, 1), D(2, -2).
 - A. Kite
 - B. Rhombus
 - C. Trapezoid
 - D. Square



- 3. Given points B(-3,3), C(3,4), and D(4,-2). Which of the following points must be point *A* in order for the quadrilateral *ABCD* to be a parallelogram?
 - A. A(-2, -1)
 - B. *A*(−1,−2)
 - C. *A*(-2, -3)
 - D. *A*(-3,-2)



- 4. Given a Trapezoid (-3,4), B(-5,-2), C(5,-2), and D(3,4). Find the following
 - a) Is the trapezoid Isosceles?
 - b) What are coordinates of the midsegment for the trapezoid?
 - c) What is the length of the midsegment?



Classifying Quadrilaterals

